

Crack closure and retardation effects – experiments and modelling

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„Safe and economic operation of railway axles“ (EBFW2)

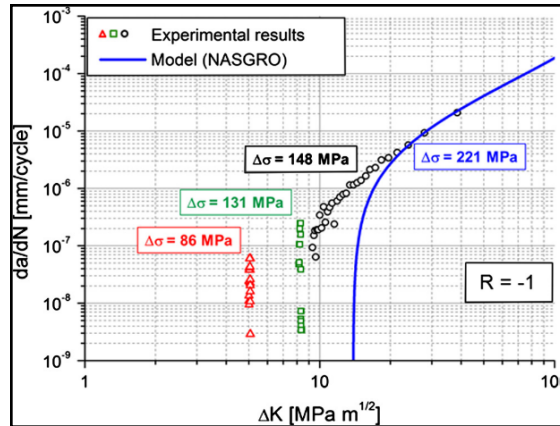
Contents:

- Development of a computational method for determining the residual life and inspection intervals of railway axles by means of fatigue crack growth calculations
- Determination of fracture mechanics material parameters for axle materials
- Validation of the computational model by means of laboratory specimens and component tests on the scales 1:3 and 1:1
- Measurement of load spectra (locomotive and passenger car)
- Differences between computation and 1:1 test results showed the need for additional research
→ **EBFW3**

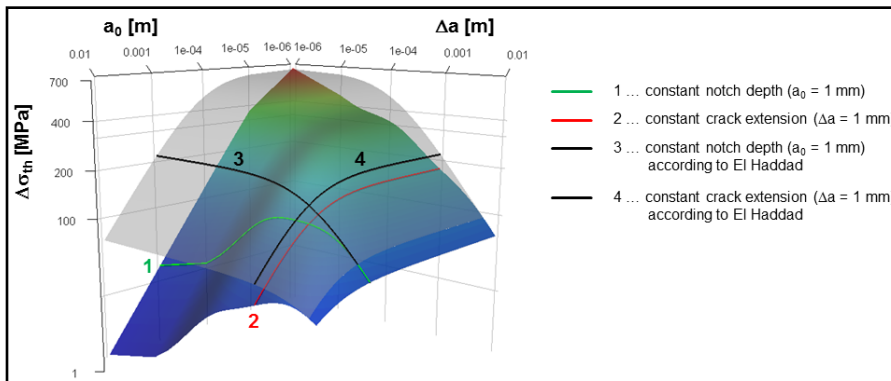
Main goal (EBFW3): **Clarification of the differences between laboratory specimen and 1:1 tests (or real components, respectively)**

Current state of knowledge:

- Crack growth in real components often over-conservative
- Behaviour of short cracks¹



- Growth of cracks emanating from deep sharp notches²



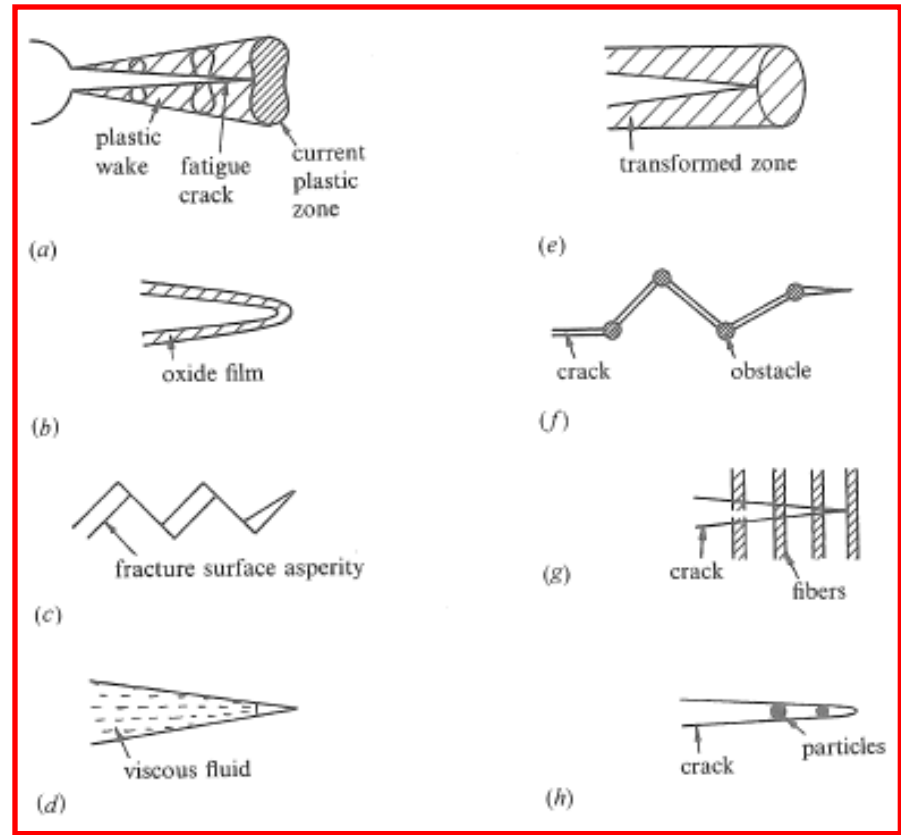
Even more conservative in predicting crack propagation!!

¹ Maierhofer et al., *Modified NASGRO equation for physically short cracks*, Int. J. Fatigue, 2014.

² Maierhofer et al., *Modified Kitagawa-Takahashi diagram accounting for finite notch depths*, Int. J. Fatigue, 2014.

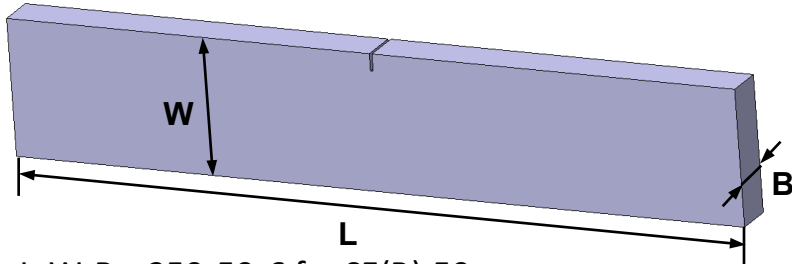
Mechanisms which can lead to a drop in the crack propagation rate¹:

- a) plasticity induced crack closure,
- b) oxide induced crack closure,
- c) roughness induced crack closure,
- d) fluid induced crack closure,
- e) transformation induced crack closure,
- f) crack branching,
- g) crack bridging due to fibers or
- h) due to particles [Suresh, Ritchie]



¹ Suresh, *Fatigue of Materials*, Cambridge University Press 1998.

Investigated material: QT steel, $R_m \sim 700$ MPa



$L \times W \times B = 250 \times 50 \times 6$ for SE(B)-50

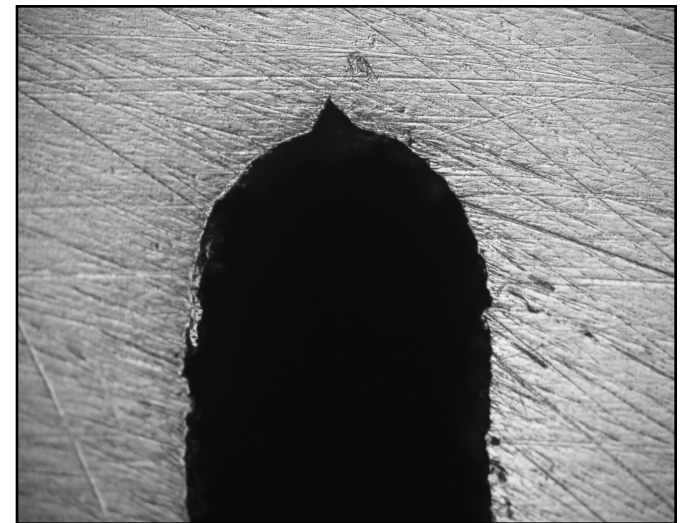
- Notch generation by wire electrical discharge machining
- Notch sharpening by razor blade cutting



Negligibly small residual stresses after crack initiation



Razor blade cutting rig

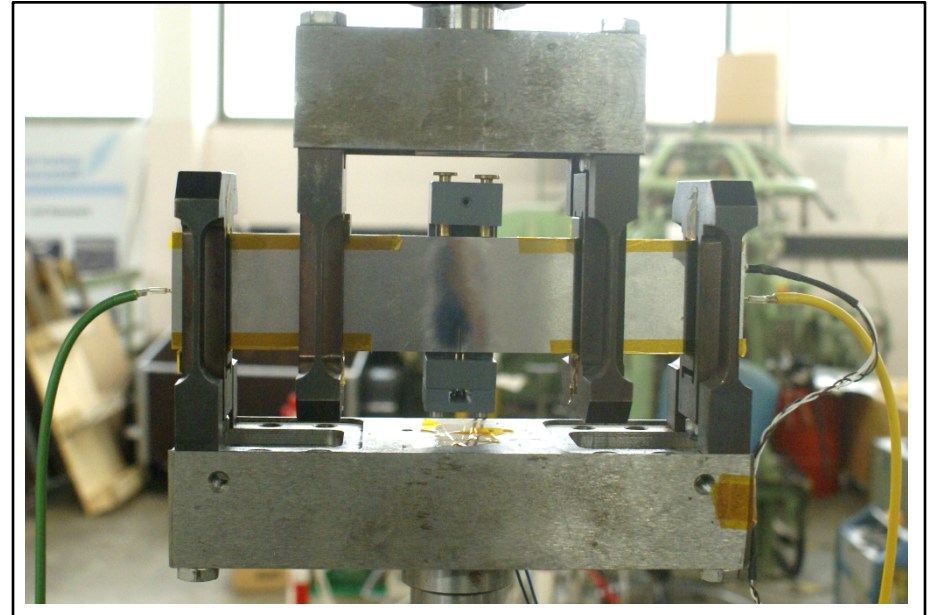


Eroded notch with razor blade cut

Resonant testing rig
(RUMUL TESTRONIC)



8-point bending mounting



- Compression precracking
($R = 20$, $\Delta K \approx 14 \text{ MPa}\sqrt{\text{m}}$)
- No crack closure effects at the start of an experiment
- Crack propagation measurement:
direct current potential drop technique

1. Residual stresses



2. Overloads

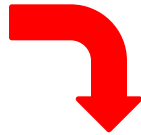


3. „small“ loads



4. Downtime





Difference laboratory specimen / 1:1 test:

Laboratory specimen mostly free from residual stresses!

Required for crack retardation: Residual **compressive** stresses

Origin of residual stresses in **1:1 tests** and in **real components**:

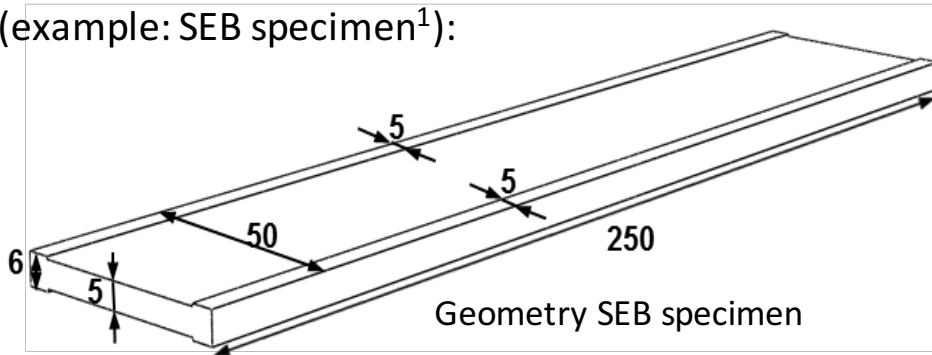
Manufacturing

- metal forming
- **heat treatment**
- machining
- ...

Surface treatment

- **shot peening**
- **deep rolling**
- **laser shock treatment**
- ...

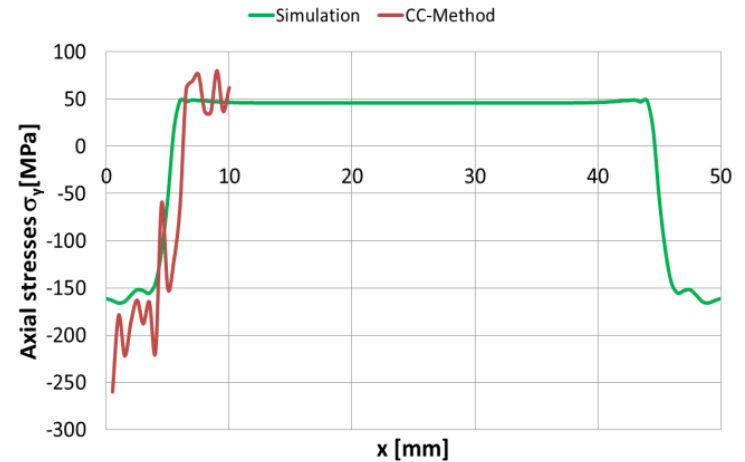
Influence of residual compressive stresses
(example: SEB specimen¹):



Rolling mill

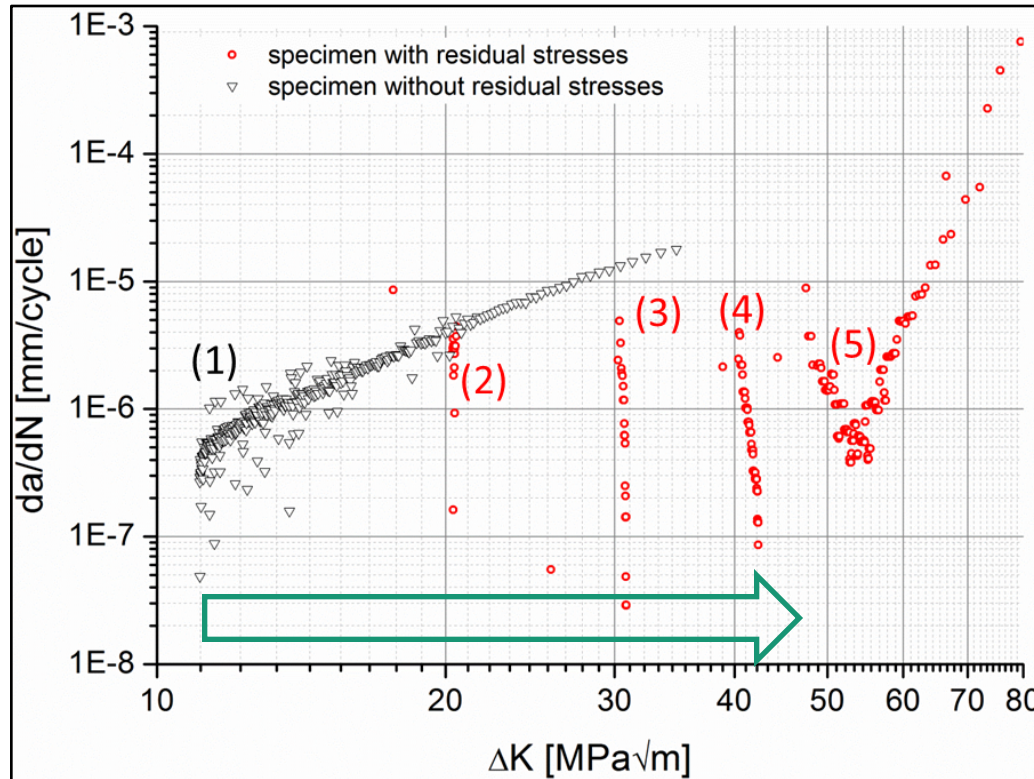


Residual stress distribution after rolling:



¹ Maierhofer et al., *Modified NASGRO equation for short cracks and application to the fitness-for-purpose assessment of surface-treated components*, Proceedings ECF20, 2014.

Influence of residual compressive stresses
(example: SEB specimen¹):



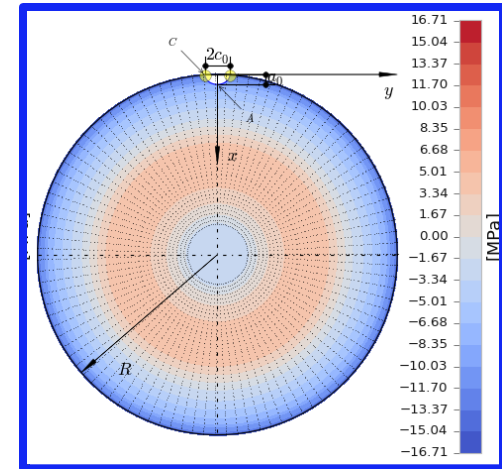
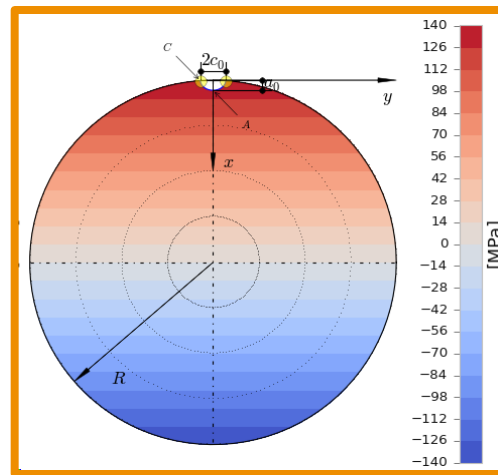
Increase of long crack growth threshold $\approx 450\%$

¹ Maierhofer et al., *Modified NASGRO equation for short cracks and application to the fitness-for-purpose assessment of surface-treated components*, Proceedings ECF20, 2014.

Consider residual stress fields in computational models by changing the mean stress:

$$\begin{aligned} \sigma_{\max} &= \sigma_{\max, \text{load}} + \sigma_{\text{res}} \\ \sigma_{\min} &= \sigma_{\min, \text{load}} + \sigma_{\text{res}} \end{aligned}$$

$$R = \frac{\sigma_{\min}}{\sigma_{\max}}$$



$$\Delta K = K_{\max}(\sigma_{\max}) - K_{\min}(\sigma_{\min})$$

...and calculate the corresponding crack growth rate

$$\frac{da}{dN} \propto \Delta K^m$$

1. Residual stresses



2. Overloads



3. „small“ loads

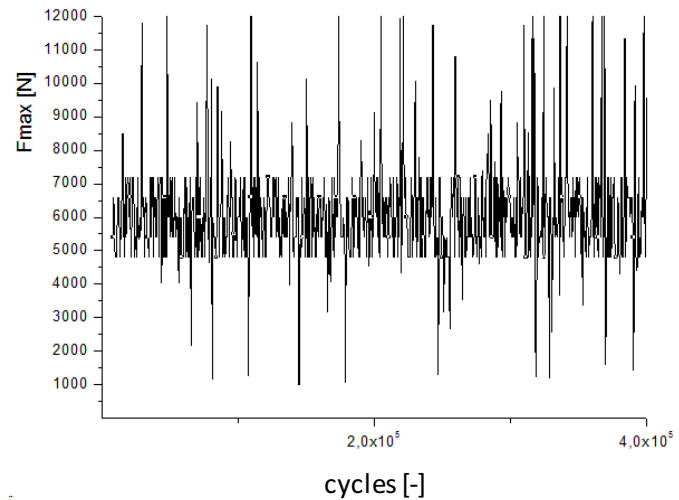
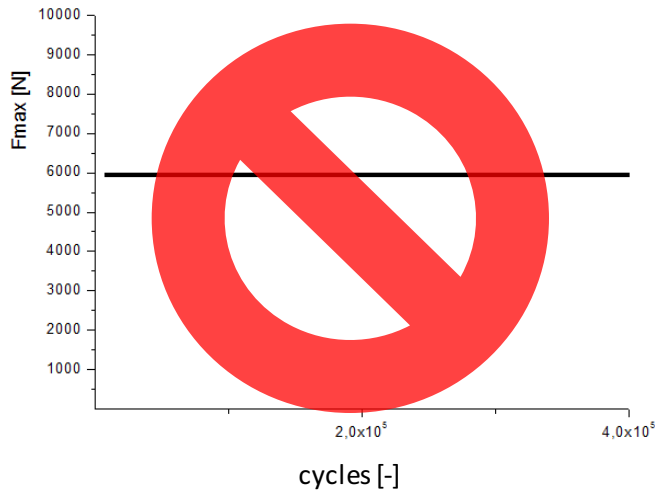


4. Downtime





Difference laboratory specimen / real component:
No constant load amplitude!

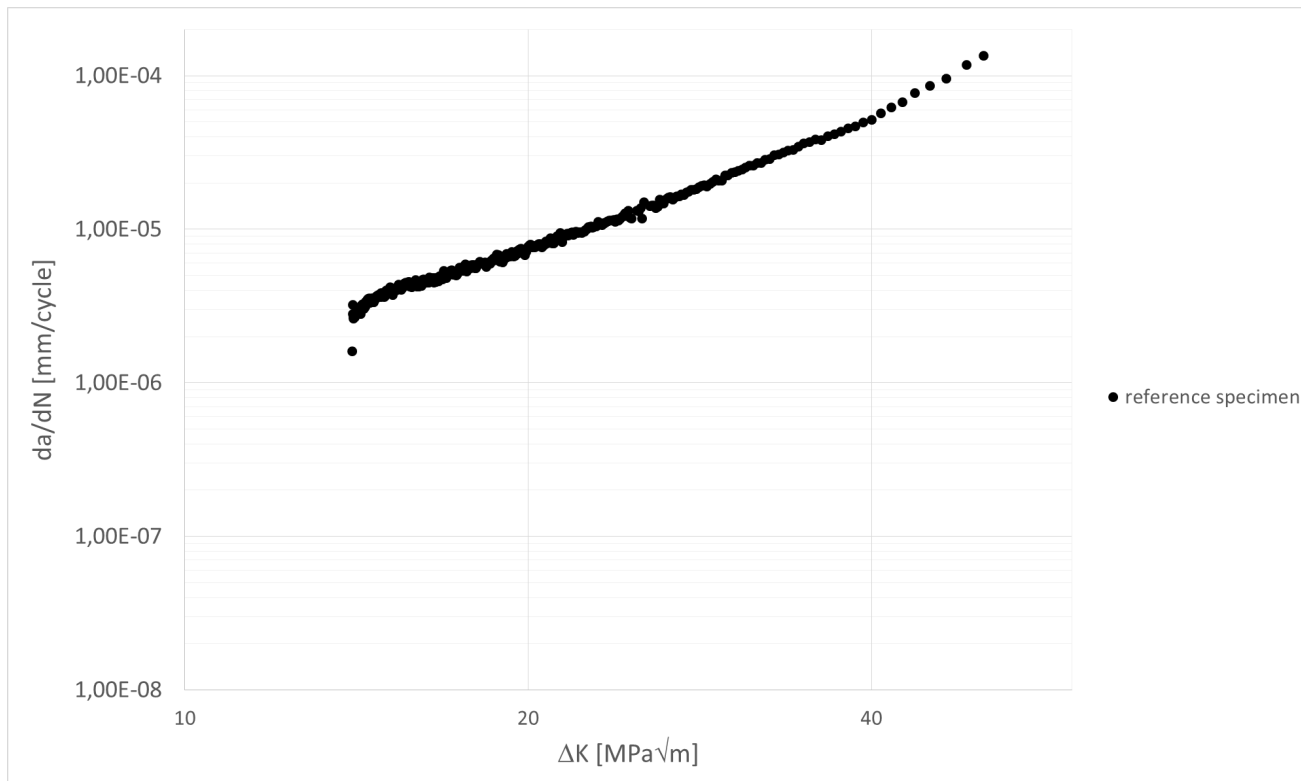


Required for lifetime enhancement : **Tension overload**

Influence of a single tensile / compressive overload

reference specimen:

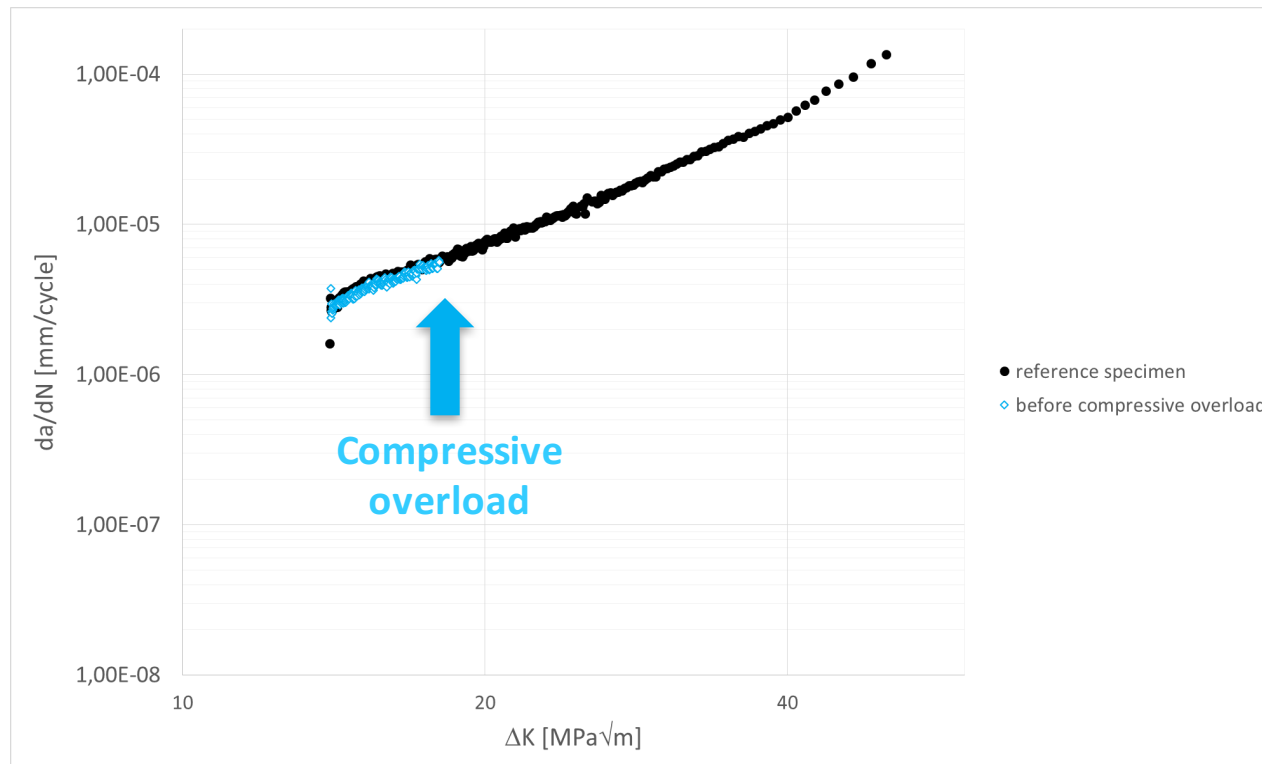
- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$
- **no overload**



Influence of a single compressive overload

Compressive overload:

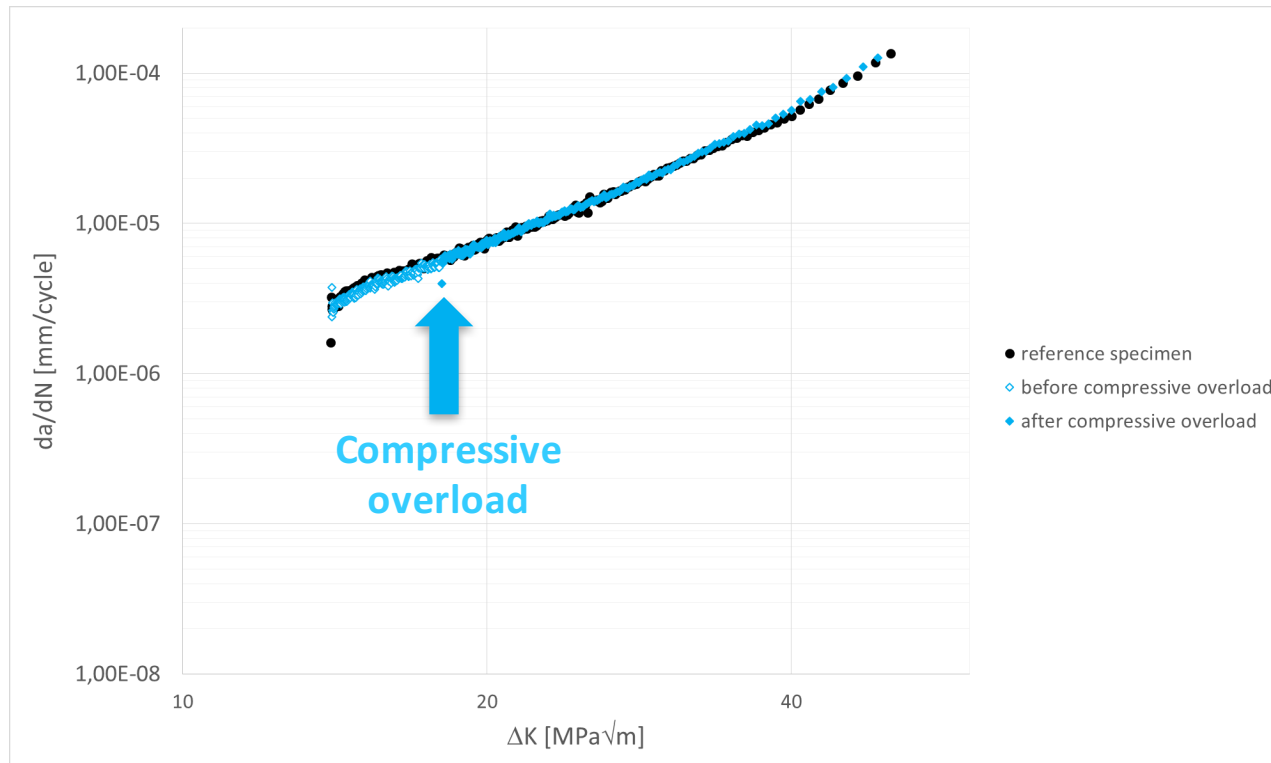
- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$ until $\Delta K = 18 \text{ MPa}\sqrt{\text{m}}$
- compressive overload 3 times higher than the primary load amplitude



Influence of a single compressive overload

Compressive overload:

- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$ until $\Delta K = 18 \text{ MPa}\sqrt{\text{m}}$
- compressive overload 3 times higher than the primary load amplitude
- again apply primary load amplitude until final fracture of the specimen

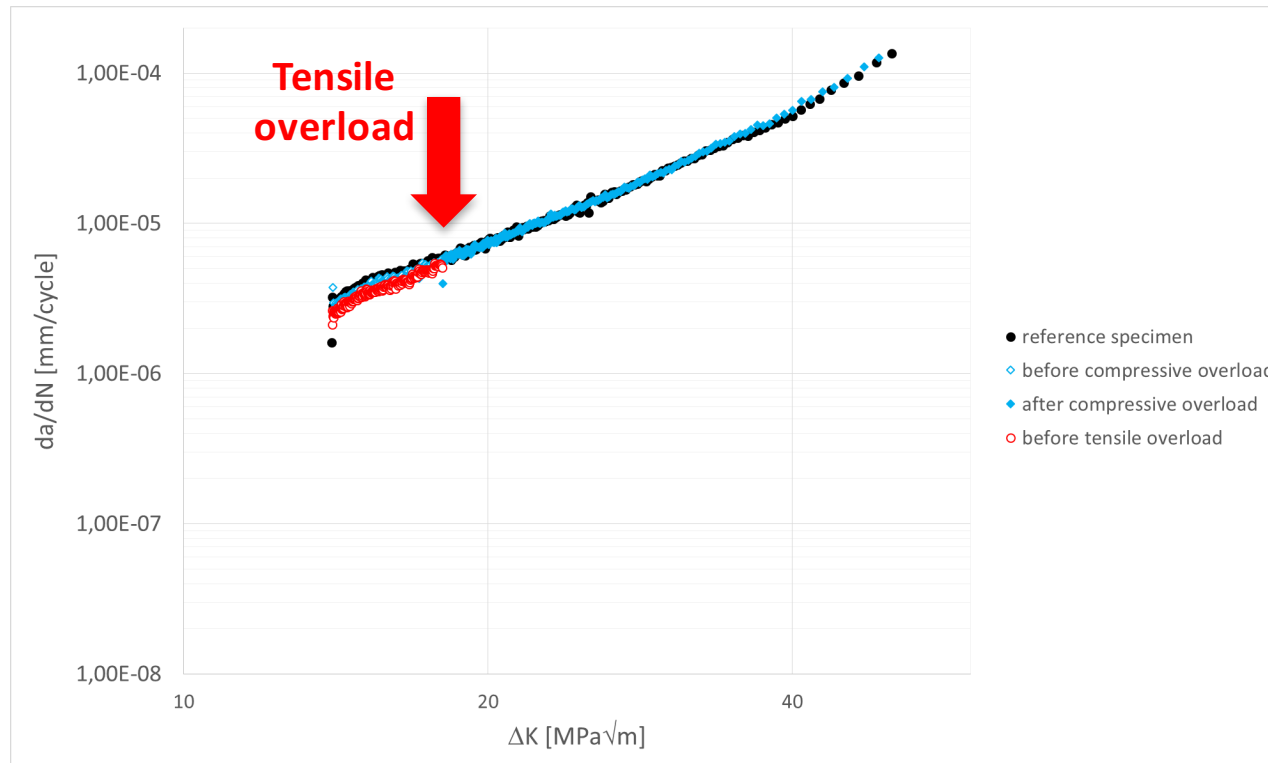


No influence of compressive overloads on the crack propagation rate (valid for long cracks and small scale yielding conditions)

Influence of a single tensile overload

Tensile overload:

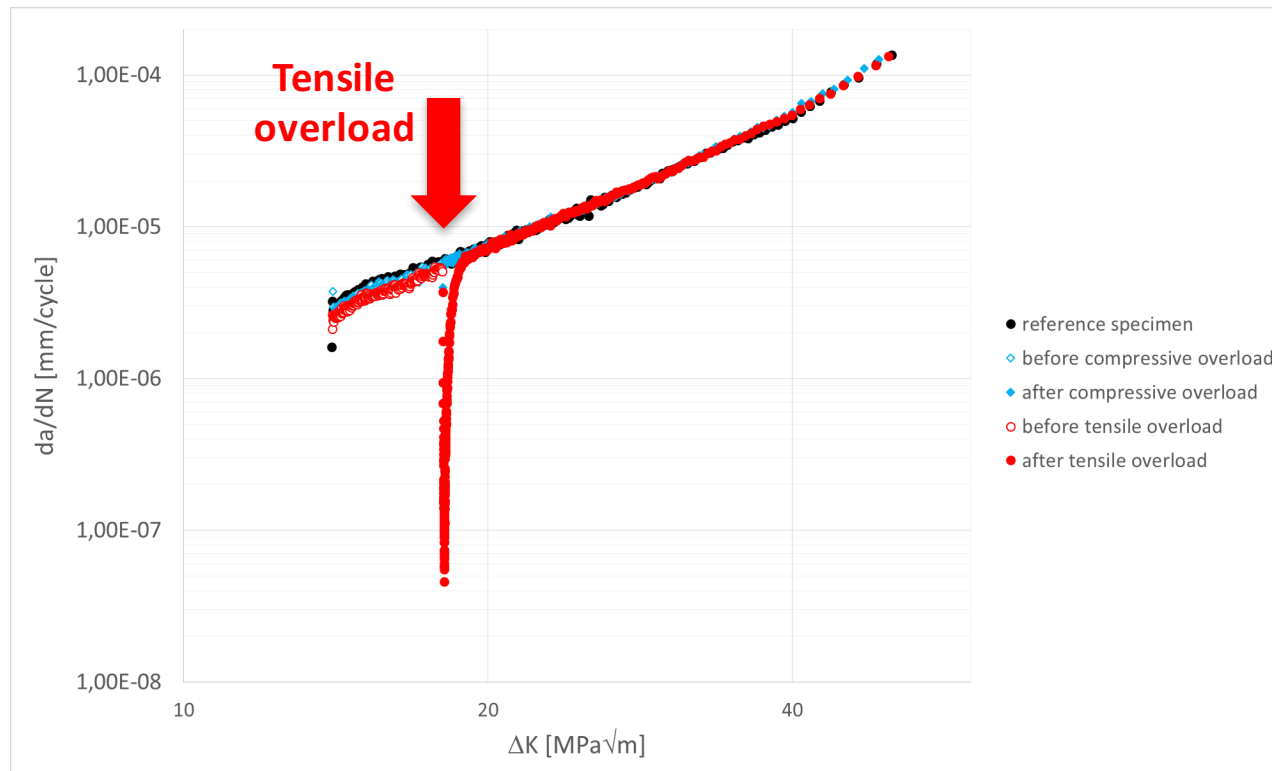
- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$ until $\Delta K = 18 \text{ MPa}\sqrt{\text{m}}$
- tensile overload 3 times higher than the primary load amplitude



Influence of a single tensile overload

Tensile overload :

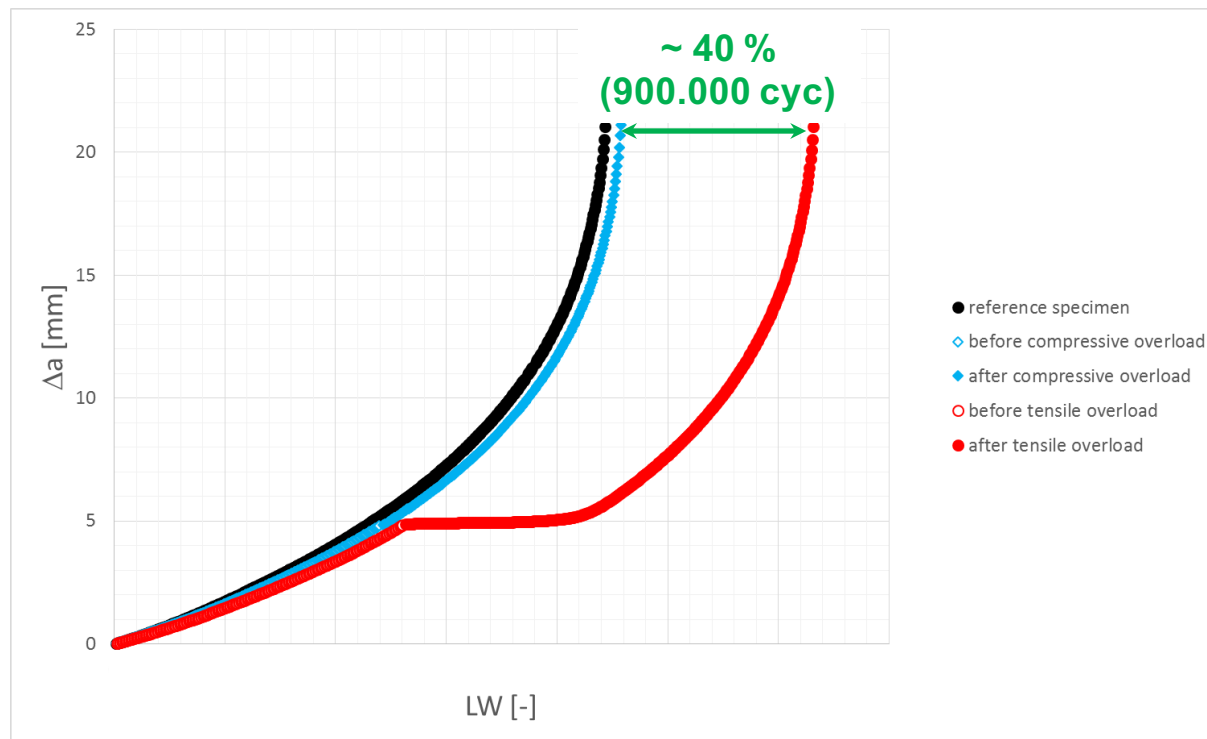
- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$ until $\Delta K = 18 \text{ MPa}\sqrt{\text{m}}$
- tensile overload 3 times higher than the primary load amplitude
- again apply primary load amplitude until final fracture of the specimen



Significant influence of tensile overloads on the crack propagation rate (valid for long cracks and small scale yielding conditions)

Influence of overloads on the crack growth behaviour of long cracks:

- Compressive overload:** no influence on crack growth / lifetime
- Tensile overload:** significant retardation of the crack propagation rate; increase of lifetime



Approximate description of overload induced crack retardation by means of the Willenborg-Gallagher-Hughes model:

- effective load ratio:
$$R_{\text{eff}} = \frac{K_{\text{min}} - K_r}{K_{\text{max}} - K_r}$$

- SIF due to overload induced residual stresses in front of the crack tip:

$$K_r = \Phi \cdot \left[K_{\text{max,OL}} \left(1 - \frac{\Delta a}{Z_{\text{OL}}} \right)^{1/2} - K_{\text{max}} \right]$$

- Size of overload influence zone depends on overload:

$$Z_{\text{OL}} = L_{\text{OL}} (K_{\text{max}} - \Delta K_0)^{p_{\text{OL}}}$$

Four main reasons for difference between laboratory specimen and 1:1 tests

1. Residual stresses



2. Overloads



3. „small“ loads

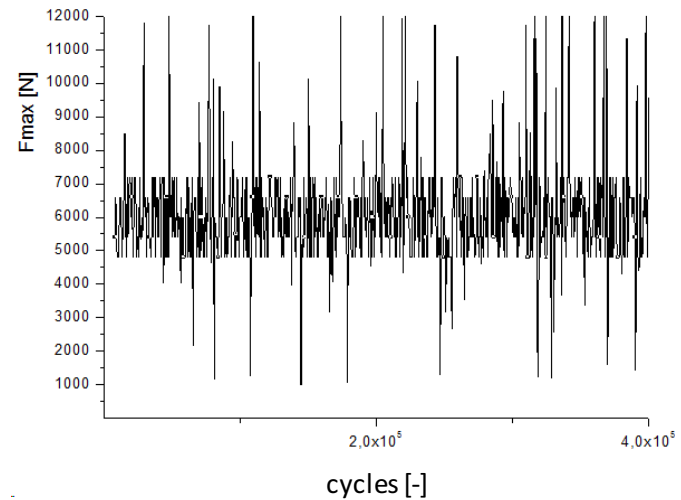
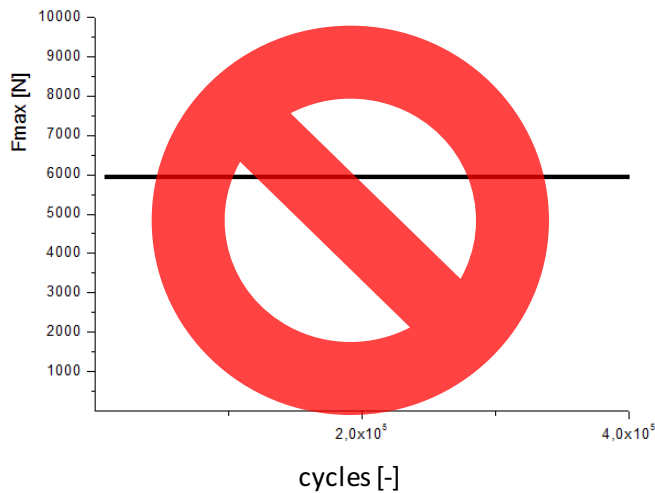


4. Downtime





Difference laboratory specimen / real component:
No constant load amplitude!

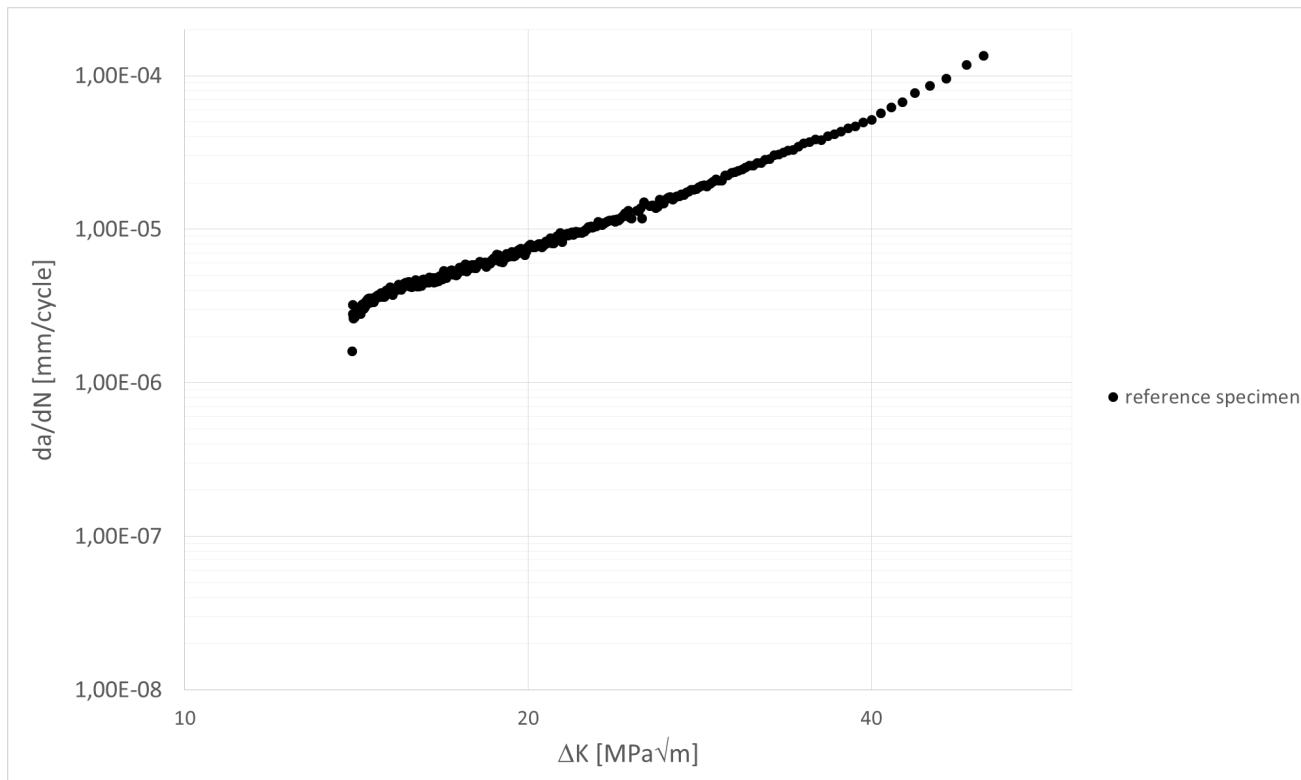


Required for lifetime enhancement : **quite a few small loads**

Influence of small loads

reference specimen:

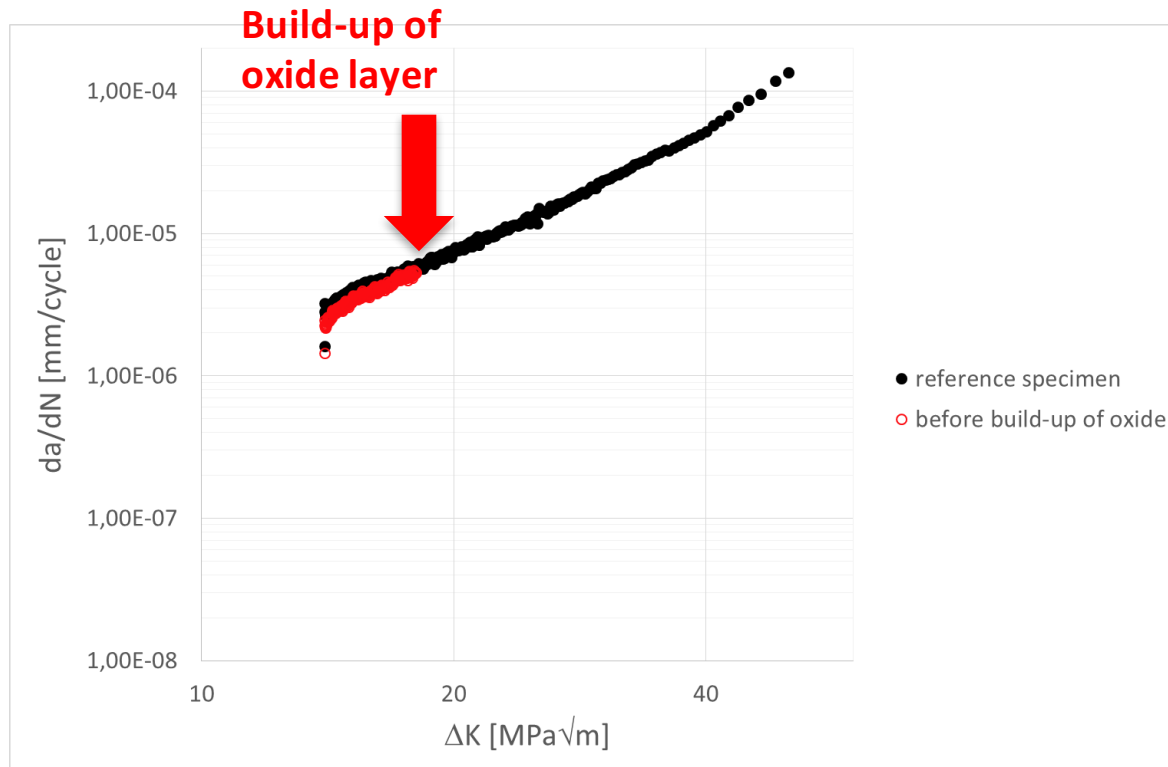
- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$
- **no small loads \rightarrow no build-up of oxide layer**



Influence of small loads

Build-up of oxide layer:

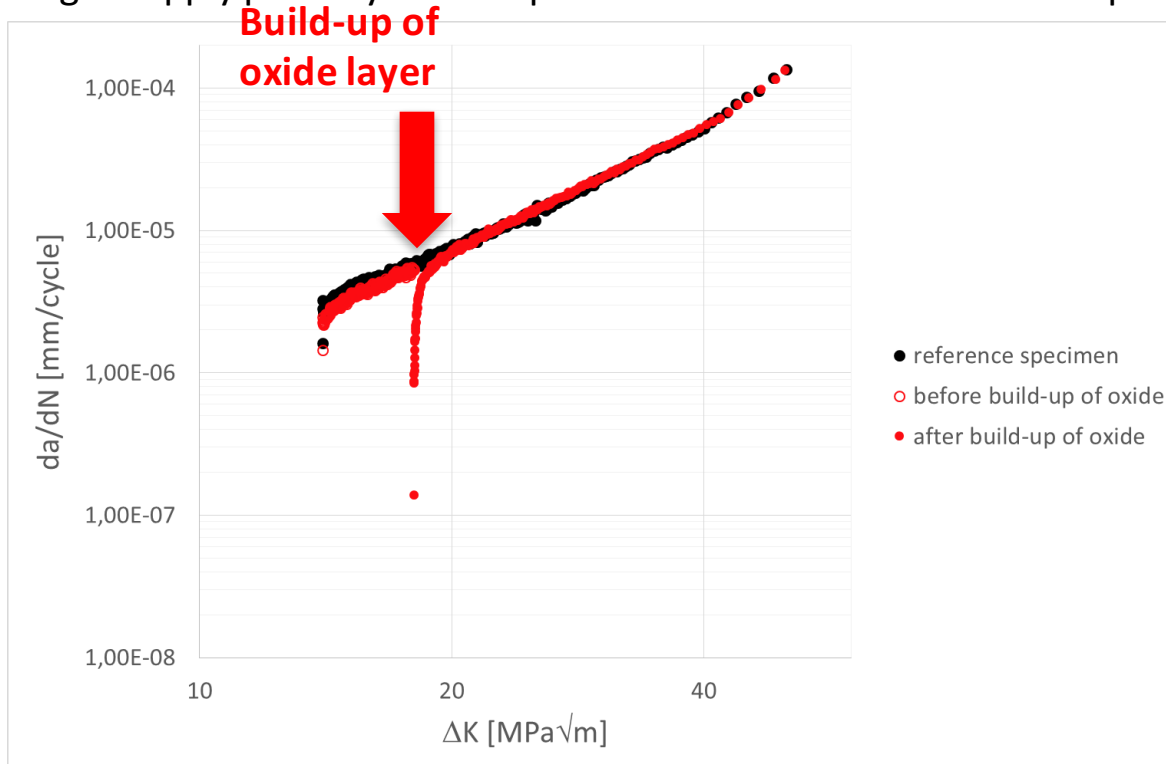
- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$ until $\Delta K = 18 \text{ MPa}\sqrt{\text{m}}$
- build-up of oxide layer with $9 \text{ MPa}\sqrt{\text{m}}$ ($\approx 34 \cdot 10^6$ cycles)



Influence of small loads

Build-up of oxide layer:

- constant load ($\Delta F = \text{const.}$), $R = -0,5$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$ until $\Delta K = 18 \text{ MPa}\sqrt{\text{m}}$
- build-up of oxide layer with $9 \text{ MPa}\sqrt{\text{m}}$ ($\approx 34 \cdot 10^6$ cycles)
- again apply primary load amplitude until final fracture of the specimen

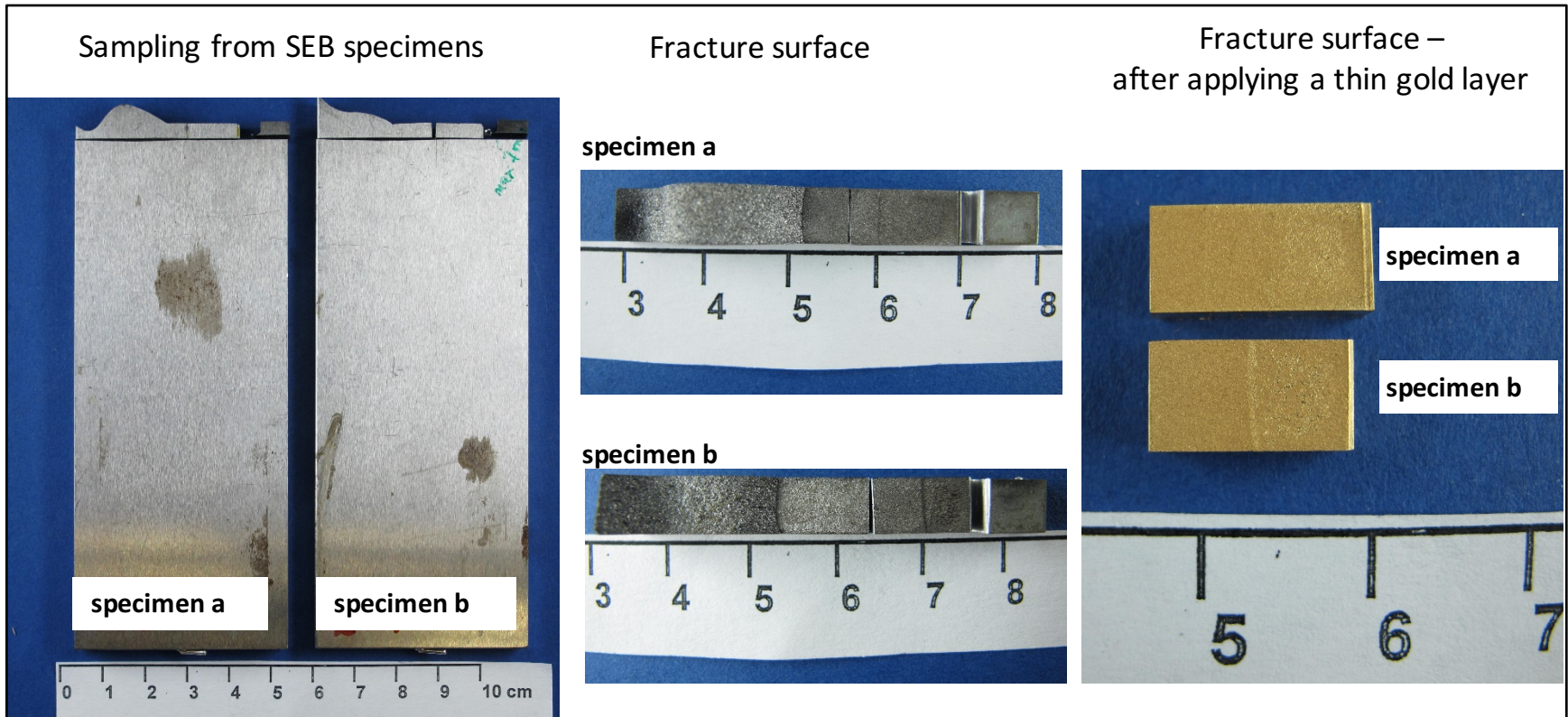


Investigation of two specimens using an IonSlicer

specimen a: $\Delta K_{\text{oxide}} = 7 \text{ MPa}\sqrt{\text{m}}$, 200.000 load cycles

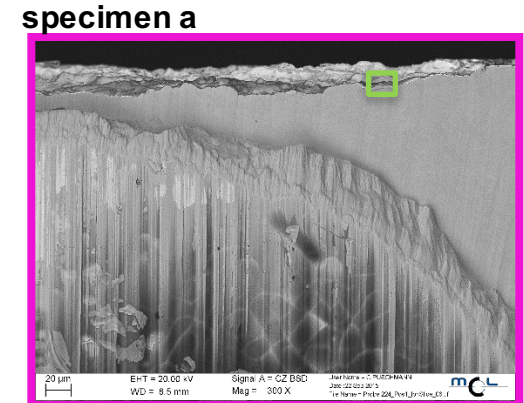
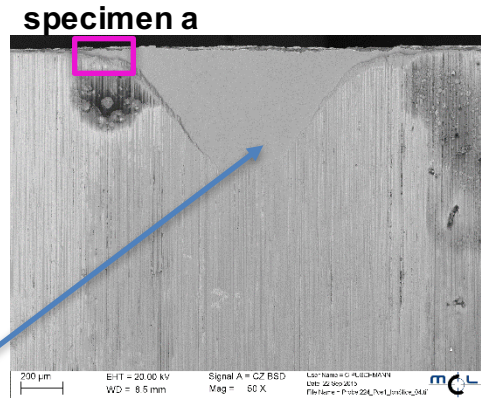
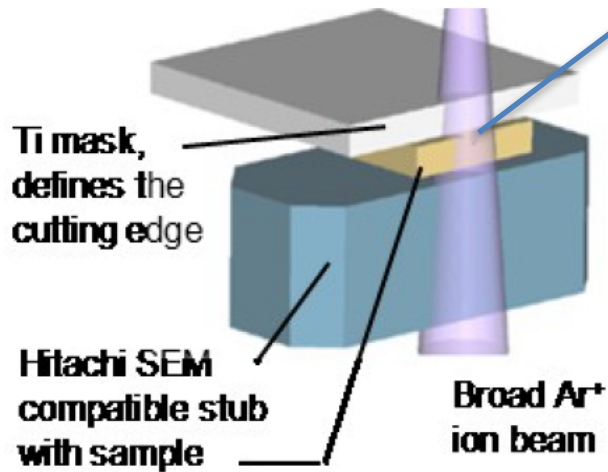
specimen b: $\Delta K_{\text{oxide}} = 9 \text{ MPa}\sqrt{\text{m}}$, 33.000.000 load cycles

Specimen preparation:



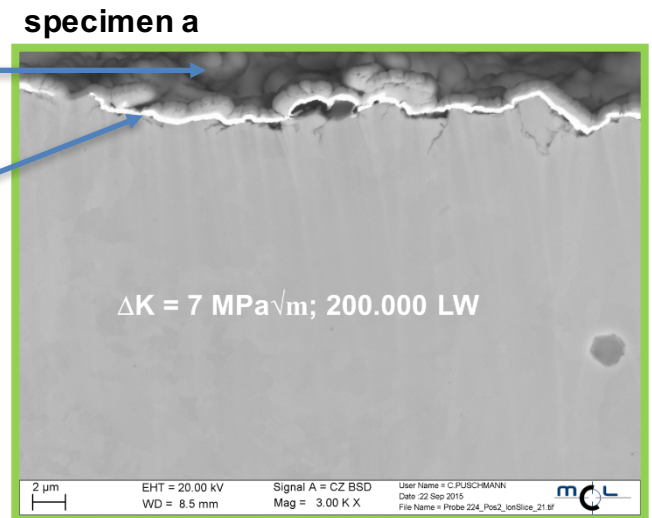
Working principle of an IonSlicer:

Cross Sectioning



removed material

gold layer (white line)



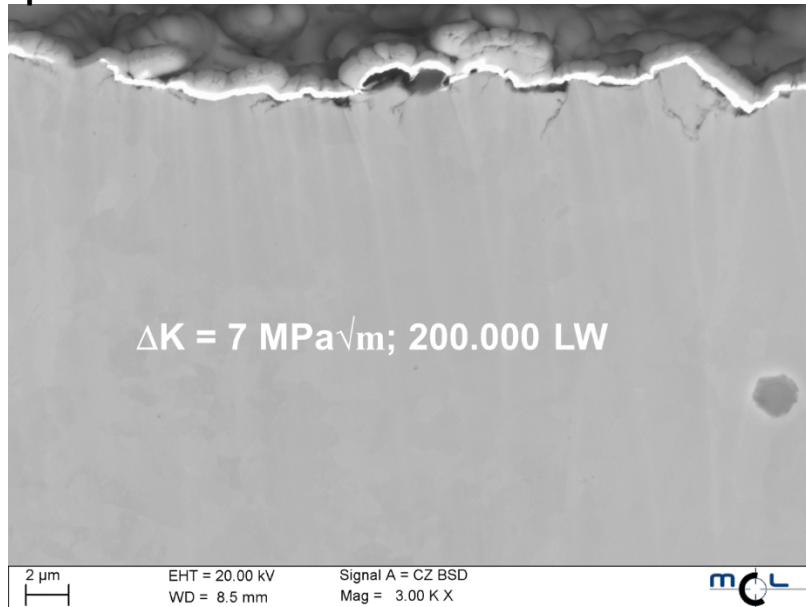
Comparison of the two oxide layers:

⌘ oxide layer of specimen b significantly thicker

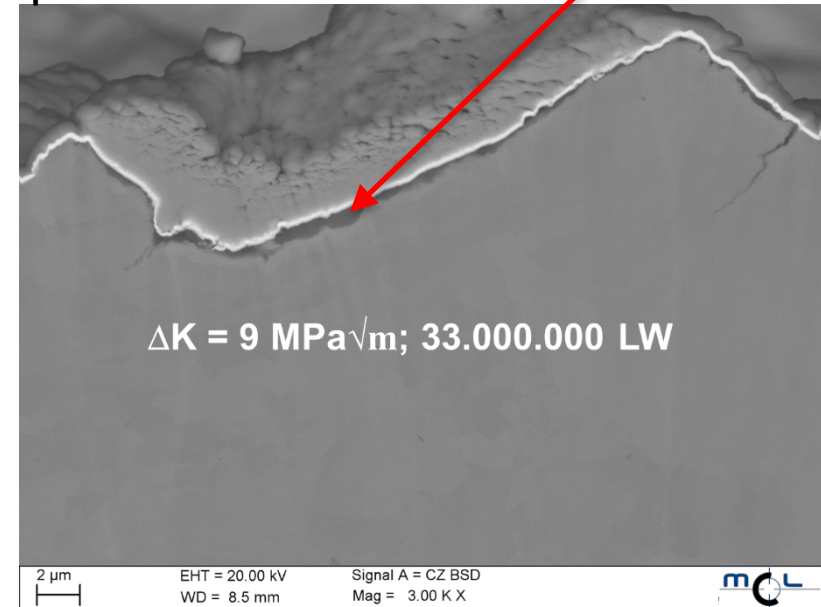
→ thickness of oxide layer depending on

1. number of applied load cycles and
2. load amplitude (of the small loads)

specimen a



specimen b



The area of influence Z_{ox} of small loads and therefore the thickness of the oxide layer depends on the number of load cycles and the corresponding load amplitude :

$$Z_{ox} = L_{ox} (1 + R)^{s_{ox}} \Delta K_{ox}^{p_{ox}} N_{ox}^{q_{ox}}$$

Modelling of the oxide induced crack retardation by increasing the crack growth threshold:

$$\Delta K_{th,ox} = K_{ox} (1 + R)^{r_{ox}} \Delta K_{ox}^{m_{ox}} N_{ox}^{m_{ox}}$$

Four main reasons for difference between laboratory specimen and 1:1 tests

1. Residual stresses



2. Overloads



3. „small“ loads

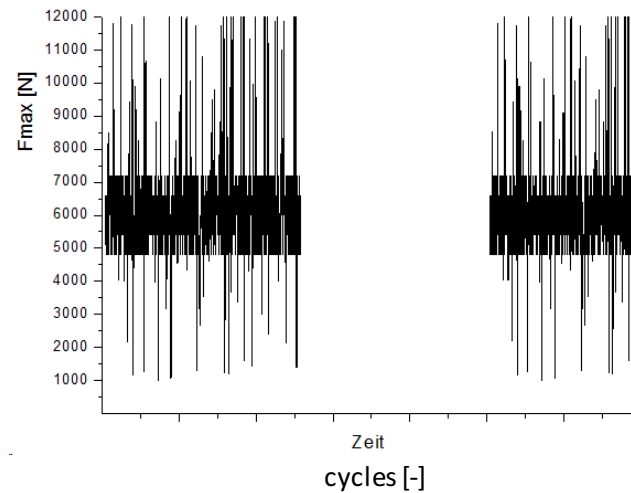
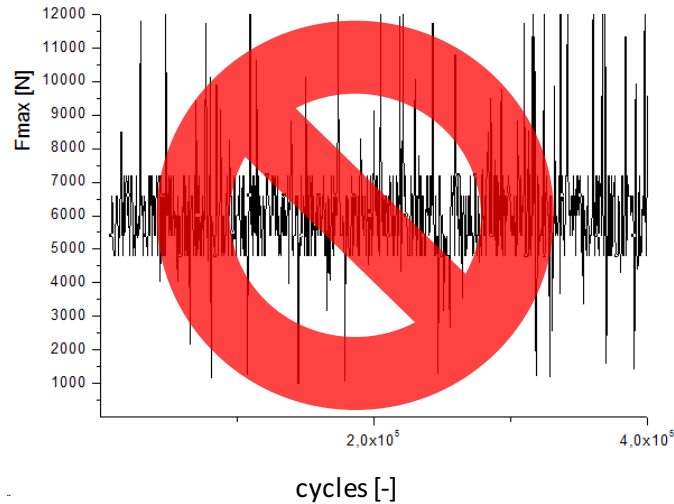


4. Downtime





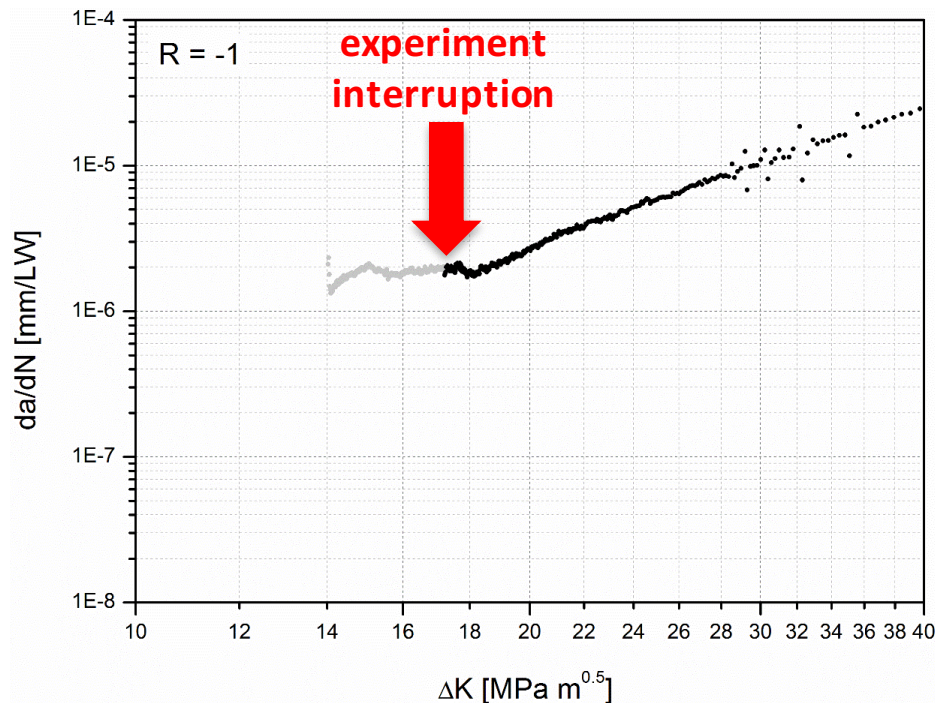
Difference laboratory specimen / real component:
No downtime in laboratory specimen!



Influence of downtime

Test procedure:

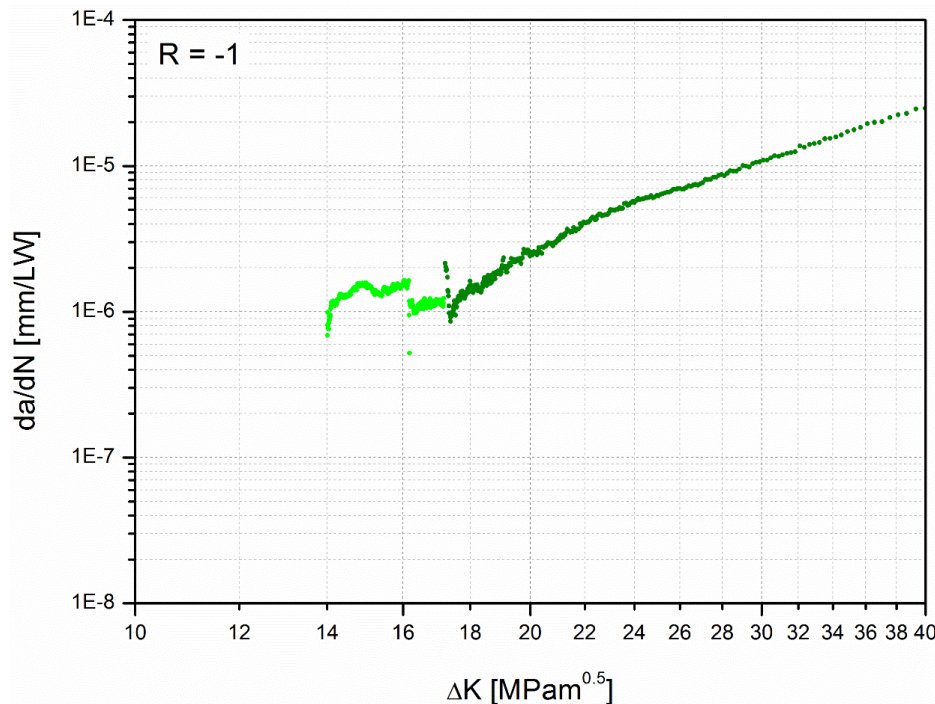
- constant load ($\Delta F = \text{const.}$), $R = -1$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$
- after $\Delta K = 17,2 \text{ MPa}\sqrt{\text{m}}$ was reached, experiment was stopped, the specimen removed, again clamped in the testing rig and restarted with primary load amplitude



Influence of downtime

Test procedure:

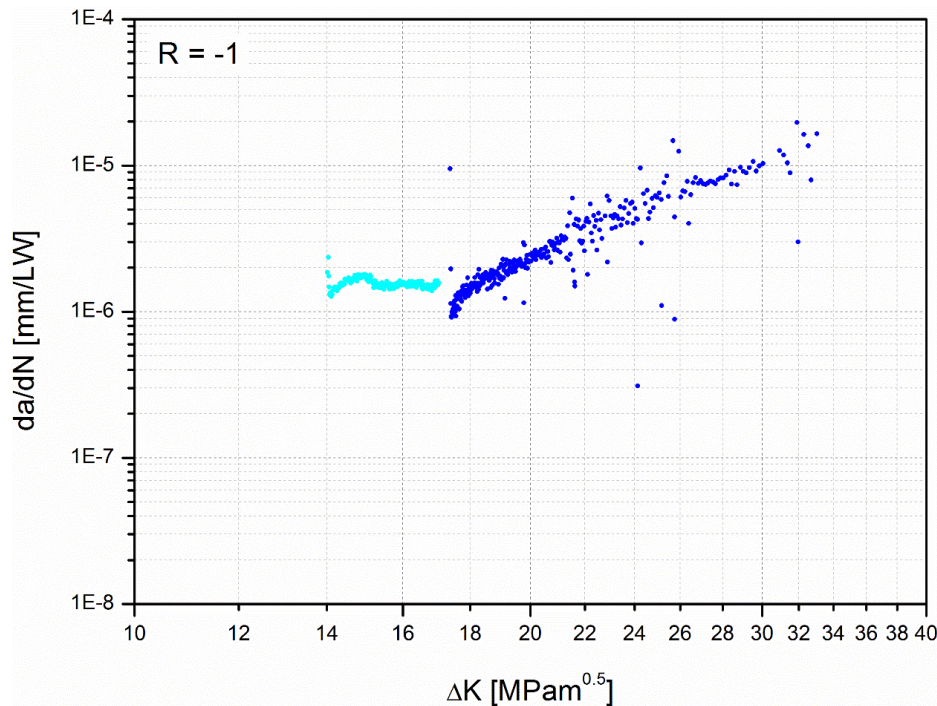
- constant load ($\Delta F = \text{const.}$), $R = -1$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$
- after $\Delta K = 17,2 \text{ MPa}\sqrt{\text{m}}$ was reached, experiment was stopped and the specimen removed
- after **two weeks in ambient air** the experiment was again clamped in the testing rig and restarted with the primary load amplitude



Influence of downtime

Test procedure:

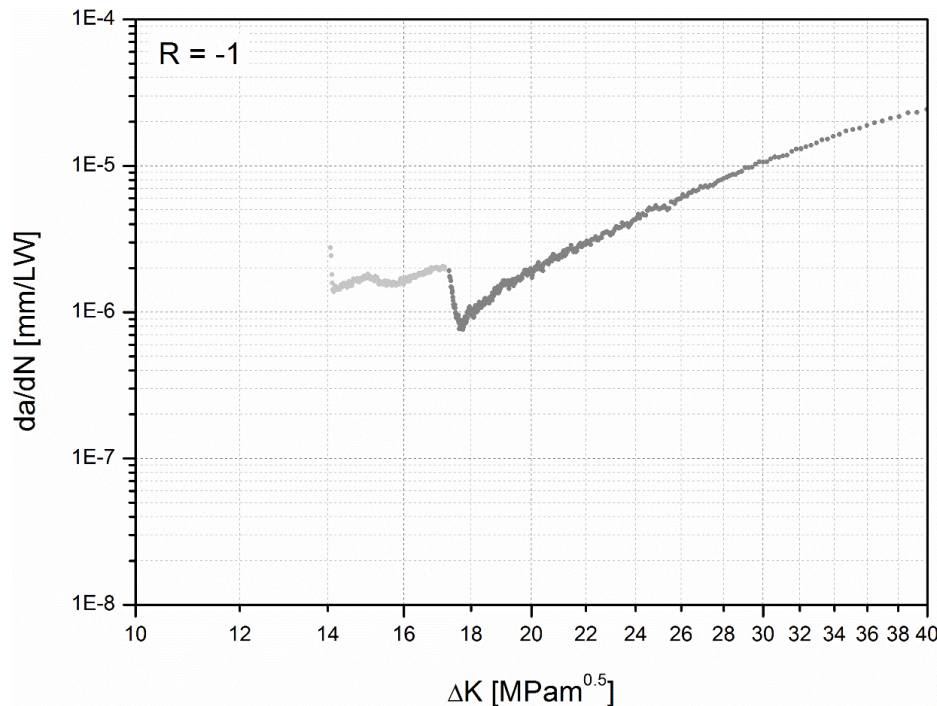
- constant load ($\Delta F = \text{const.}$), $R = -1$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$
- after $\Delta K = 17,2 \text{ MPa}\sqrt{\text{m}}$ was reached, experiment was stopped and the specimen removed
- after **two weeks in water** the experiment was again clamped in the testing rig and restarted with the primary load amplitude

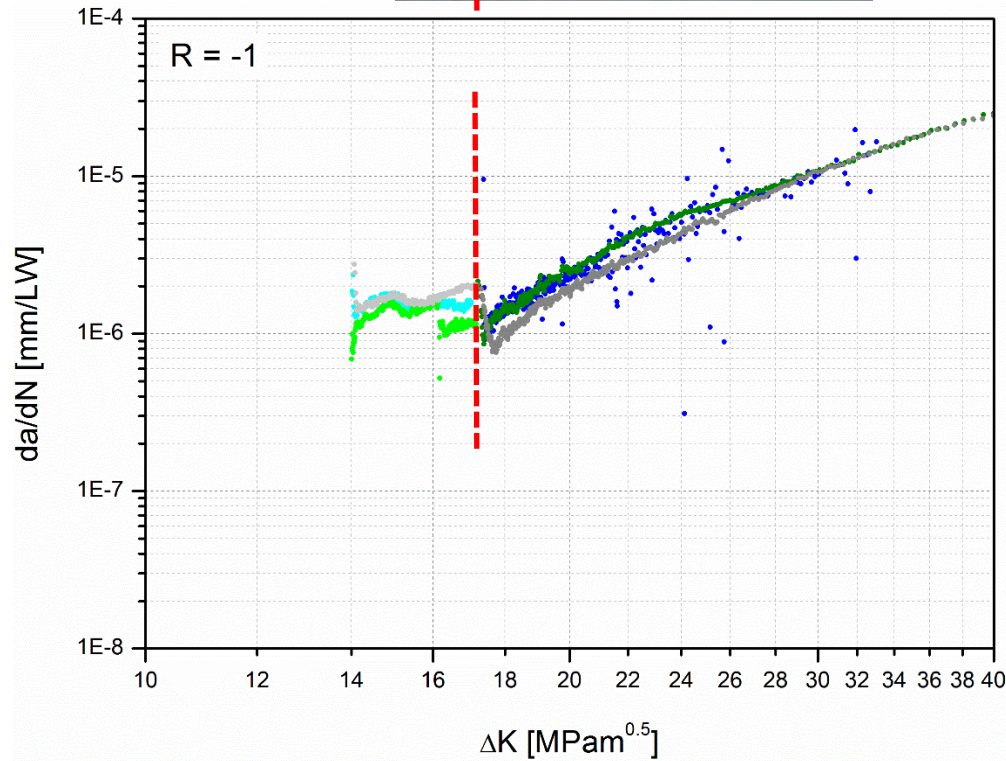
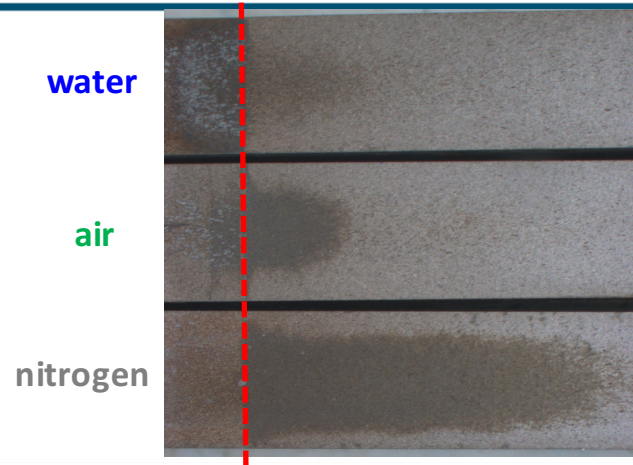


Influence of downtime

Test procedure:

- constant load ($\Delta F = \text{const.}$), $R = -1$
- start with $\Delta K = 14 \text{ MPa}\sqrt{\text{m}}$
- after $\Delta K = 17,2 \text{ MPa}\sqrt{\text{m}}$ was reached, experiment was stopped and the specimen removed
- after **two weeks in liquid nitrogen** the experiment was again clamped in the testing rig and restarted with the primary load amplitude





Four main reasons for difference between laboratory specimen and 1:1 tests (or real components, respectively):

1. Residual stresses

- Residual compressive stresses decrease the crack growth rate and lead to higher lifetimes
- In small scale specimens there are often no residual stresses left

2. Overloads

- Tensile overloads can lead to a significant retardation of crack growth
- Compressive overloads have no effects (for long cracks and small scale yielding)

3. Small loads

- Depending on the applied load and number of cycles a build-up of oxide layer can occur
→ crack closure increases and therefore the crack growth rate decreases
- Small loads are often not considered during testing („omission“)

4. Downtime

- Influence on crack growth in the near-threshold region

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